## Towards Effective Partition Management for Large Graphs

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## Motivation <br> - How to manage large graphs?

- Increasing demand for large graph management on commodity servers
$\checkmark$ Facebook: 890 million daily active users on average for December 2014
- Achieving fast query response time and high throughput
$\checkmark$ Partitioning/distributing and parallel processing of graph data
$\checkmark$ However... It's always easier said than done.


## Outline

- Background
- Overview of Sedge
- Techniques of Sedge
$\checkmark$ Complementary partitioning
$\checkmark$ On-demand partitioning
$\checkmark$ Two-level partition management
- A Look Back \& Around
- Experimental Evaluations
- Conclusions \& Takeaways
- Q \& A


## Background <br> - Solutions available

- Memory-based solution
$\checkmark$ Single-machine: Neo4j, HyperGraphDB
$\checkmark$ Distributed: Trinity [1]
- General distributed solution
$\checkmark$ MapReduce-style ill-suited for graph processing
- More specialized solution
$\checkmark$ Graph partitioning and distribution
$\checkmark$ Pregel [2], SPAR [3]


## Background <br> - Graph query workload types

- Queries with random access or complete traversal of an entire graph
- Queries with access bounded by partition boundaries
- Queries with access crossing the partition boundaries



## Overview of Sedge

- Self Evolving Distributed Graph Management Environment
- Built upon Pregel, but eliminating constraints and solving problems facing it
$\checkmark$ Workload balancing, overhead reduction, duplicate vertices...
- Leveraging partitioning techniques to achieve that
$\checkmark$ 2-level partition architecture supports complementary and on-demand partitioning



## Techniques of Sedge <br> - Complementary partitioning

- Idea: repartition the graph with region constraint
- Basically, we want to find a new partition set of the same graph so that the originally cross-partition edges become internal ones

(a) Partition set $\mathrm{S}_{1}$

(b) $\mathrm{S}_{2}$ : Complementary partition set of $\mathrm{S}_{1}$
(s) bst!!!ou $2 \in \ddagger 2^{\downarrow}$
bst!!!!
(p) $2^{5}$ : Comb|eweufgt


## Techniques of Sedge <br> - Complementary partitioning

- How it's done theoretically?
$\checkmark$ Formulation to a nonconvex quadratically constrained quadratic integer program (QCQIP) to reuse the existing balanced partitioning algorithms
- How it's done practically?
$\checkmark$ Solutionl:Increase the weight of cut edges by $\lambda$ then rerun
$\checkmark$ Solution2: Delete all cut edges first then rerun
- How it works then?
$\checkmark \quad$ There could be several partitions capable of handling a query to a vertex $u$
$\checkmark$ Queries should be routed to a safe partition: u far away from partition boundaries


## Techniques of Sedge <br> - On-demand partitioning

- Hotspot is a real bummer and it comes in two shapes
$\checkmark$ Internal hotspots located in one partition
$\checkmark$ Cross-partition hotspots on the boundaries of multiple partitions


## Techniques of Sedge <br> - On-demand partitioning

- Hotspot is a real bummer and it comes in two shapes
$\checkmark$ Internal hotspots located in one partition
$\checkmark$ Cross-partition hotspots on the boundaries of multiple partitions
- To deal with internal hotspots: Partition Replication
- To deal with cross-partition hotspots: Dynamic Partitioning


## Techniques of Sedge <br> - On-demand partitioning

- Partition workload: internal, external (cross-partition)
- Partition Replication starts when internal workload is intensive
$\checkmark$ Replicate partition P to $\mathrm{P}^{\prime}$
$\checkmark \quad$ Send $\mathrm{P}^{\prime}$ to idle machine with free memory space
$\checkmark \quad$ Else replace a slack partition with $P^{\prime}$


## Techniques of Sedge <br> - On-demand partitioning

- For cross-partition hotspots: Dynamic Partitioning
$\checkmark$ Better to generate new partitions that only cover these areas
$\checkmark$ New partitions only share heavy workload while reduce communication
- Step 1: hotspot analysis
$\checkmark$ Calculate ratio $r=\frac{\left|W_{\text {ext }}(P)\right|}{\left|W_{\text {int }}(P)\right|+\left|W_{\text {ext }}(P)\right|} \quad \mathrm{P}=\frac{\left|E_{\text {ext }}(P)\right|}{\left|E_{\text {int }}(P)\right|+\left|E_{\text {ext }}(P)\right|}$
$\checkmark$ Hypothesis testing: if $r$ is much higher than $p$, then assume there are cross-partition hotspots in $P$


## Techniques of Sedge <br> - On-demand partitioning

- Step 2: Track cross-partition queries
$\checkmark$ Mark the search path with color-blocks
$\checkmark \quad$ Profile a query to an envelope
$\checkmark$ Collect the envelopes to form one new partition

(a) Color Block and Query Trace
(b) Envelop Collection
(s) CO|OL BIOCK suq Onel入 $\perp$ เsce
(p) Eu^өןob CO\|धcf!ou
- Color-blocks: coarse-granularity units to trace path of crosspartition queries
- Envelope: a sequence of blocks that covers a cross-partition query
- Envelope Collection: put the maximized \# of envelopes into a new partition wrt. space constraint


## Techniques of Sedge <br> - On-demand partitioning

- Envelope collection objective
$\checkmark$ Put the maximized \# of envelopes into a new partition wrt. size constraint
$\checkmark$ A classic NP-complete problem: Set-Union Knapsack Problem
$\checkmark$ A greedy algorithm to save the day
$\checkmark$ Intuition: combining similar envelopes consumes less space than combining non-similar ones
$\checkmark$ Metric: Jaccard coefficient $\operatorname{Sim}\left(L_{i}, L_{j}\right)=\frac{\left|L_{i} \cap L_{j}\right|}{\left|L_{i} \cup L_{j}\right|}$
$\checkmark$ Solution: Locality-sensitive Hashing


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$\checkmark$ Solution: Locality-sensitive Hashing - Min-Hash


## Techniques of Sedge <br> - On-demand partitioning

- Step 2: Track cross-partition queries
$\checkmark$ Mark the search path with color-blocks
$\checkmark \quad$ Profile a query to an envelope
$\checkmark$ Collect the envelopes to form one new partition
- Step 3: Partition Generation
$\checkmark$ Assign each cluster a benefit score $\rho=\frac{|W(C)|}{|C|}$
$\checkmark$ Iteratively add the cluster with the highest $\rho$ to an initially empty partition (as long as the total size $\leq$ the default partition size $M$ )


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- Discussion: too good to be true?


## Techniques of Sedge <br> - Two-level partition management

- Two-level partition architecture
$\checkmark$ Primary partitions: $A, B, C$ and $D$ inter-connected in two-way
$\checkmark$ Secondary partitions: $\mathrm{B}^{\prime}$ and E connected with primary ones in one-way

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## A Look Back \& Around - Other modules of Sedge

- meta-data manager
$\checkmark$ Meta-data maintained by master and Pregel instances (PI)
$\checkmark \quad$ In master: info about each PI and a table mapping vertices to PI
$\checkmark$ (Instance Workload Table, Vertex-Instance Fitness List)
$\checkmark \quad$ In PIs: an index mapping vertices to partitions in each PI
$\checkmark \quad$ Partition Workload Table, Vertex-Primary Partition Table, Partition-Replicates Table, VertexDynamic Partitions Table)


## A Look Back \& Around - Other modules of Sedge

- Performance Optimizer
$\checkmark$ Continuously collects run-time information from all the PIs and characterizes the execution of the query workload
$\checkmark \quad$ The master updates IWT while PIs maintain the PWTs



## A Look Back \& Around - Other related works

- Large-scale graph partitioning tools
$\checkmark$ METIS, Chaco, SCOTCH
- Graph platforms
$\checkmark$ SHS, PEGASUS, COSI, SPAR
- Distributed query processing
$\checkmark$ Semi-structured, relational, RDF data


## Experimental Evaluations -With RDF Benchmark

- Hardware setting
$\checkmark 31$ computing nodes
$\checkmark$ One serves as the master and the rest workers
- $S P^{2}$ Bench
$\checkmark$ Choose the DBLP library as its simulation basis
$\checkmark 100 \mathrm{M}$ edges with 5 Queries: Q2, Q4, Q6, Q7, Q8


## Experimental Evaluations -With RDF Benchmark

- Experiment setting
$\checkmark$ Partition configuration: CP1 to CP5
$\checkmark$ Workload: 10,000 random queries with random starts
- Results
$\checkmark$ Significant cross-partition query reduction
$\checkmark$ Cross-partition query vanishes for Q2,Q4 and Q6



## Experimental Evaluations <br> -With RDF Benchmark

- Experiment setting
$\checkmark$ Partition Configuration: CP1*5, CP5 and CP4+DP
$\checkmark$ Evolving query workload: evolving 10,000 queries with 10 timestamps
- Results
$\checkmark$ Blue vs. green: effect of complementary partitioning
$\checkmark$ Green vs. red: effect of on-demand partitioning



## Experimental Evaluations -With Real Graph Datasets

- Datasets

| Graph | Size (GB) | Partition (s) | VFL (MB) | VPT (MB) |
| :--- | :--- | :--- | :--- | :--- |
| Web | 14.8 | 120 | 81.5 | 35.3 |
| Twitter | 24 | 180 | 109.0 | 45.4 |
| Bio | 13 | 40 | 135.9 | 55.3 |
| Syn. | 17 | 800 | 543.7 | 205 |

- Query workload
$\checkmark$ neighbor search
$\checkmark$ random walk
$\checkmark$ random walk with restart


## Experimental Evaluations -With Real Graph Datasets



Complementary Partitioning
Query Profiling $\square$ Envelopes Collection Partition Creation

\# of cross-partition queries
Dynamic Partitioning: runtime cos


Partition replication: throughput


Dynamic partitioning: response time


Cross-partition queries vs. Improvement ratio in avg. response time

## Conclusions \& Takeaways

- Partitioning techniques with two level partition management
$\checkmark$ Complementary partitioning
$\checkmark$ On-demand partitioning
- Greedy algorithm for dynamic partitioning
- Available at http://grafia.cs.ucsb.edu/sedge/index.html
- Takeaways:
$\checkmark \quad$ One partition scheme cannot fit all
$\checkmark \quad$ Always a tradeoff between data locality and load balancing
$\checkmark \quad$ Future work can be done regarding efficient distributed RDF data storage management, distributed query processing over RDF, etc.


## Q \& A

- 1. In this work, a major assumption is that the network bandwidth is consistent for each pair of nodes. But in reality, it's often not the case. How to efficiently manage partitions in a distributed setting with network bandwidth unevenness?
- 2. Metadata are becoming big data as well. In this design, the VPT is a few GB for each node. In estimation, metadata is $0.1 \%-1 \%$ of the data space [4]. How to efficiently manage these tables? More generally, how to efficiently manage graph metadata?
- 3. How to compare or extend Sedge to other settings and partition metrics:
$\checkmark$ Setting:multi-processors?
$\checkmark$ Data model: hyper-graph?
$\checkmark$ Metrics: Query makespan or boundary cut?


## References

- [1] Shao, Bin, Haixun Wang, and Yatao Li. "Trinity: A distributed graph engine on a memory cloud." Proceedings of the 2013 ACM SIGMOD International Conference on Management of Data. ACM, 2013.
- [2] Malewicz, Grzegorz, et al. "Pregel: a system for large-scale graph processing." Proceedings of the 2010 ACM SIGMOD International Conference on Management of data. ACM, 2010.
- [3] Pujol, Josep M., et al. "The little engine (s) that could: scaling online social networks." ACM SIGCOMM Computer Communication Review 41.4 (2011): 375-386.
- [4] E. L. Miller, K. Greenan, A. Leung, D. Long, and A. Wildani. (2008) Reliable and efficient metadata storage and indexing using nvram. [Online].
Available: dcslab.hanyang.ac.kr/nvramos08/EthanMiller.pdf


## Backup <br> - Duplicate sensitive graph query

- Use UNION instead of SUM.

